

Directions: Beginning in cell #1, read the problem, identify the key information, and sketch a helpful picture. Decide what formula relates all of your information, and differentiate it with respect to t . Finally, answer the question and search for it to advance in the circuit. Mark that cell #2 and continue in this manner until you complete the circuit. Note: Technology should be used in the final stages of solving. Round all answers to three decimal places, but hold intermediate values to at least five decimal places.

Answer: 1.185

1 A rectangle's base remains 0.5 cm while its height changes at a rate of 1.5 cm/min. At what rate is the area changing, in cm^2/min , when the height is 1.5 cm?

Answer: 1.035

_____ A spherical balloon is losing air at a rate of $2500 \text{ cm}^3/\text{sec}$. What is the radius, in cm, when it is changing at a rate of 25 cm/sec?

Answer: 0.750

_____ A rectangle's base remains 0.5 cm while its height changes at a rate of 1.5 cm/min. At what rate is the perimeter changing, in cm/min , when the height is 1.5 cm?

Answer: 4.909

_____ Two snails start moving away from each other from the same point in a garden. One travels north at a rate of 10 cm/hour and the other travels east at a rate of 3 cm/hour. After two hours, how fast is the distance between the snails changing, in cm/hour?

Answer: 3.000

_____ A right triangle has legs x and y and hypotenuse z . At what rate is leg x changing, in cm/min, when $y = 4$ cm, $dy/dt = 1.2$ cm/min, $z = 5$ cm, and $dz/dt = 3.4$ cm/min?

Answer: 10.440

_____ The volume of a cube is 125 cm^3 and is changing at a rate of $8 \text{ cm}^3/\text{sec}$. How fast is the surface area changing, in cm^2/sec , at that moment in time?

Answer: 4.067

_____ A 13-foot ladder slides down an exterior wall at a rate of 1 ft/sec. How fast is the distance between the base of the ladder and the base of the wall changing, in ft/sec, when the base of the ladder is 5 ft from the base of the wall?

Answer: 2.821

_____ Charlie Brown flies a kite at a constant height of 100 feet while the wind carries the kite away from him horizontally at rate of 2 ft/sec. How fast must he release the string from the spool, in ft/sec, when the kite is 300 feet away from him (i.e. when he has let out 300 feet of string)?

Answer: 2.400

_____ A circle is expanding at a rate of $32.5 \text{ cm}^2/\text{min}$. How fast is the radius changing, in cm/min, when the circumference is $10\pi \text{ cm}$?

Answer: 6.400

_____ A conical paper drinking cup has a height of 6 inches and a radius of 2 inches (at the top). How fast is the water level in the cup rising if water is poured in at a rate of $1 \text{ in}^3/\text{sec}$ and the water is 2 inches deep?

Answer: 0.716

_____ Profit is Revenue – Cost. A manufacturing plant calculates its Cost function, $C(x)$, to be $C(x) = x^3 - 4x^2 + 50/x$ and its Revenue function, $R(x)$, to be $R(x) = 50x$. Construct the profit function, $P(x)$, and determine the x -value when dP/dt is 4.544 and $dx/dt = 0.05$.

Answer: 1.886

_____ Salt for winter road maintenance is poured so that it forms a conical pile such that the radius is twice the height. Find the rate at which the pile is growing, in ft^3/hour , when the radius is changing at a rate of $0.5 \text{ ft}/\text{hour}$ and measures 2.5 feet.

P.S. Of course I know how unlikely these crazy questions are! You have to practice them anyway!

© Virge Cornelius 2015